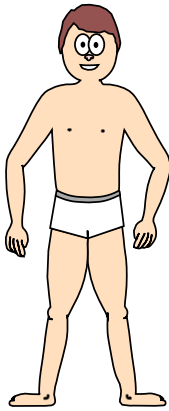
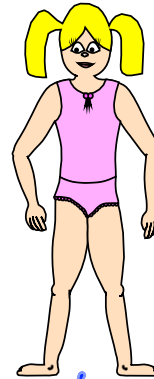


## Fundamental Counting Principle

Dressing a person:



Ocean



↓  
20 hoola skirts  
2 Coconut bras.  
4 Sombremos

How many different outfits  
can Ocean wear?

$$20 \times 2 \times 4 = \underline{160 \text{ outfits}}$$

**Fundamental Counting Principle:**

If one item can be selected in  $m$  ways and a second item can be selected in  $n$  ways, then the two items can be selected in  $m \times n$  ways.

**Example 1:**

Doug is ordering dinner at a restaurant. There are 2 appetizers, 3 main courses and 4 desserts. How many different meals can Doug order if a meal means one item from each category.

$$2 \times 3 \times 4 = \underline{24 \text{ meals}}$$

**Example 2:**

How many 3 digit **even numbers** are there in which no digit is repeated?

234

~~0~~  
1  
2  
3  
4  
5  
6  
7  
8  
9

$$\underline{7} \times \underline{9} \times \underline{5}$$

315

**Example 3:** A 4 digit number is to be randomly generated.

a) How many 4 digit numbers are possible?

$$\underline{9} \times \underline{10} \times \underline{10} \times \underline{10}$$

9000



b) How many 4 digit numbers are there with no digits repeated?

$$\underline{7} \times \underline{8} \times \underline{9} \times \underline{10}$$

5040

c) What is the probability that the four digit number has at least 2 digits that are the same?

$$9000 - 5040 = 3960$$

$$\frac{3960}{9000} = \frac{11}{25}$$

**Example 4:**

At a security company, three-letter security codes in which no letter may be repeated are generated using the letters A, E, I, O, U and Y. If the letter G is added to the list of letters, then how many **more** three-letter security codes could be generated?

$$\underline{6} \times \underline{5} \times \underline{4} = 120$$

$$\underline{7} \times \underline{6} \times \underline{5} = 210$$

$$210 - 120 = \text{90 more codes}$$

**Example 5:**

Postal codes are created by going letter-number-letter-number-letter-number. In Alberta, all postal codes begin with "T". How many total postal codes are available to be used?

$$\underline{1} \times \underline{10} \times \underline{26} \times \underline{10} \times \underline{26} \times \underline{10}$$

$$\underline{676,000}$$

**Assignment:**  
**Pg.23**  
**1-10**